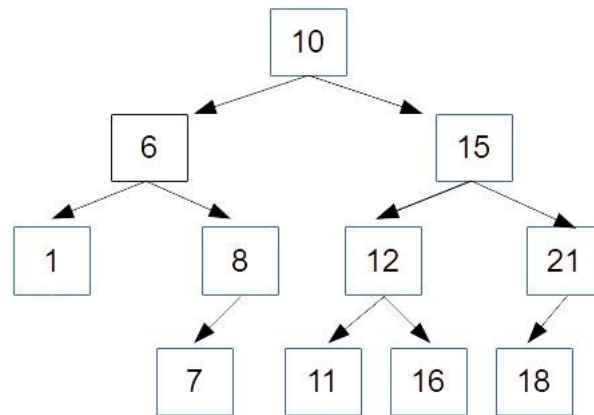


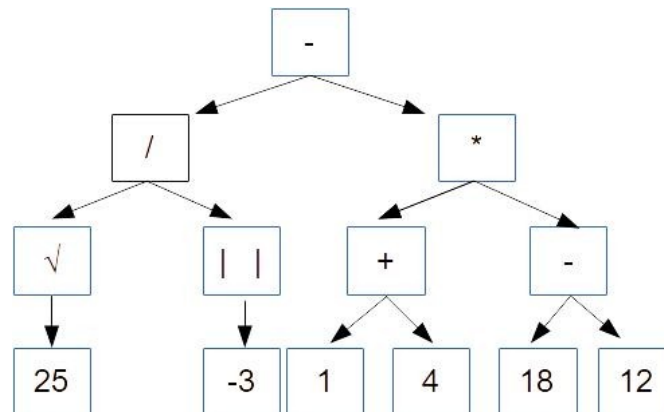
4. We know that if a graph is a tree with n vertices has $n - 1$ edges. Is the converse true? That is, if a graph has n vertices and $n - 1$ edges, can we conclude that it is a tree? Justify your answer.

5. Draw a tree with six vertices that has the most number of leaves possible.

6. Is the tree below a *binary search tree*?



7. Given the tree:



a) Give the order in which the vertices of the tree are visited in a pre-order traversal.

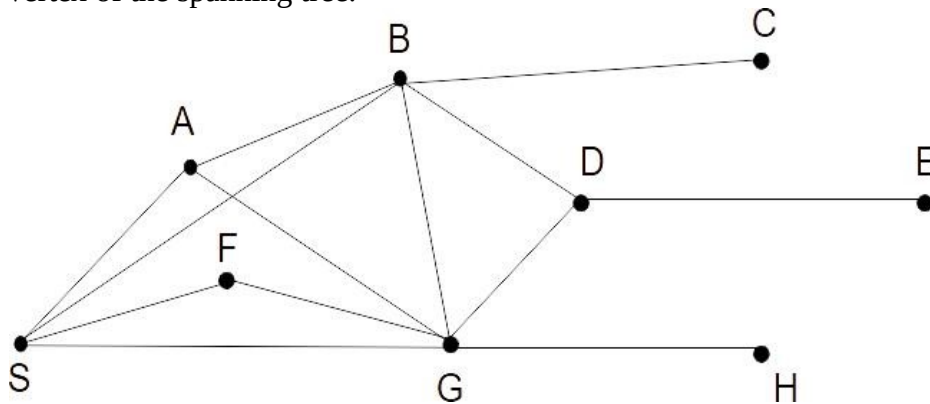
b) Give the order in which the vertices of the tree are visited in an in-order traversal.

c) Give the order in which the vertices of the tree are visited in a post-order traversal.

8. Evaluate the postfix expression:

20 6 - 2 ÷ 3 × 4 18 6 ÷ + ÷ 2 +

9. Use breadth-first-search (BFS) algorithm to produce a spanning tree for the graph. Use vertex s as the root/source vertex of the spanning tree.



L = {

10. Find minimum spanning trees using Prim's and Kruskal's algorithms. Assume vertex ordering is A, B, C, D, E, and F.

